

# Precision test of Jefferson Lab Mott Polarimeter at 3-8 MeV

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Polarized Sources, Targets, and Polarimetry 2013



 **Jefferson Lab**

The Jefferson Lab logo, which includes a red swoosh graphic above the text "Jefferson Lab".

# Outline

## 1 Mott Overview & Motivation

- What is the MeV Mott?
- Motivation for New Tests

## 2 Understanding Elastic Signal

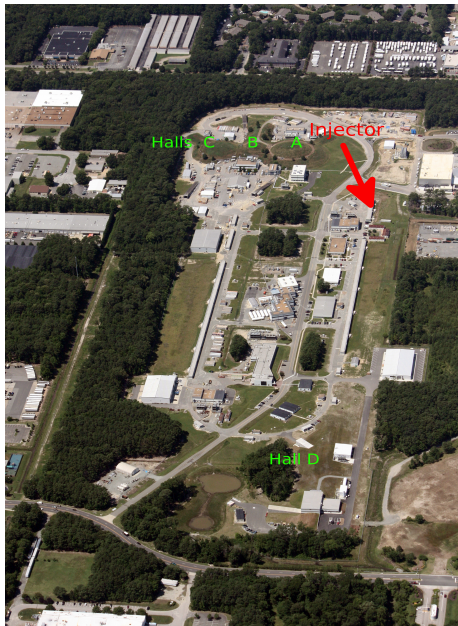
- Elastic Spectrum Tails
- GEANT4 Modeling

## 3 Minimizing Backgrounds

- Backscatter
- Reducing Background events

## 4 Future Work

# Mott Location



- Located in the injector.
- Measures transverse polarization close to the source.
- Along with spin rotators, sets spin direction for experiments.

# Mott Scattering Asymmetry

The eA cross section can be written

$$\sigma(\theta) = I(\theta) [1 + S(\theta) \mathbf{P} \cdot \mathbf{n}]$$

with  $\mathbf{n} = \frac{\mathbf{k} \times \mathbf{k}'}{|\mathbf{k} \times \mathbf{k}'|}$ . If  $\mathbf{P}$  is horizontal, we see an up-down asymmetry,

$$A_{UD} = \frac{\sigma_U - \sigma_D}{\sigma_U + \sigma_D} = S(\theta)P.$$

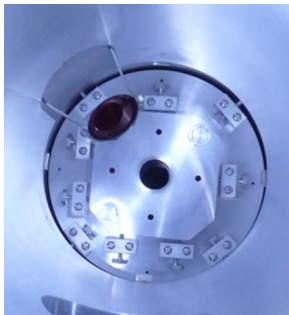
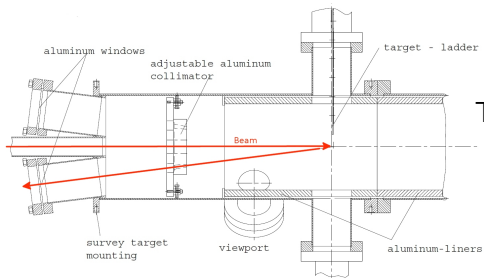
In actuality we use the cross-ratio method:

$$A_{UD} = \frac{1 - r}{1 + r} \quad \text{with} \quad r = \sqrt{\frac{N_U^\uparrow N_D^\downarrow}{N_U^\downarrow N_D^\uparrow}}.$$

This leaves us insensitive to false asymmetries at **all orders** from **detector solid angle and efficiency**, **beam current**, and **target thickness** and at **first order** from **polarization differences** and **scattering angle**.



# Mott Layout

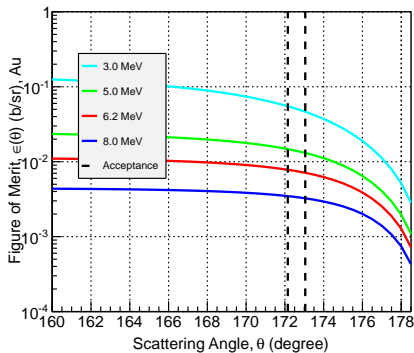
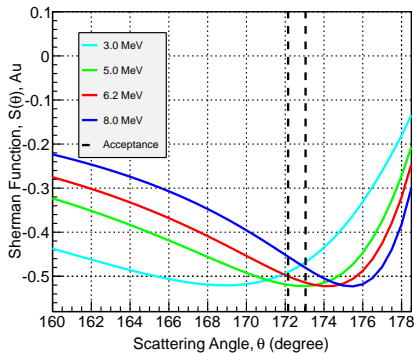


Typical run parameters:

$\theta_{sc}$	$172.6^\circ \pm 0.45^\circ$
$d\Omega$	0.21 msr
$I_{beam}$	1.0 $\mu A$
Beam Energy	5.0 MeV
Event Rate	1 kHz
Spin Flip Rate	30 Hz

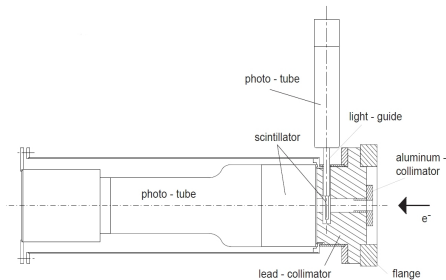
Our target inventory includes Au, Ag, and Cu foils. Mirror collects OTR light for viewer.

# Polarimeter Optimization

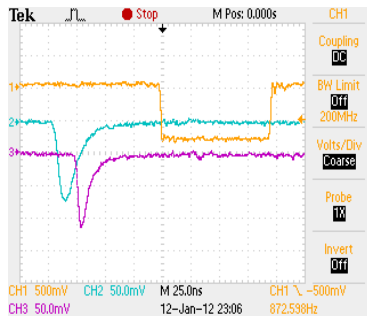
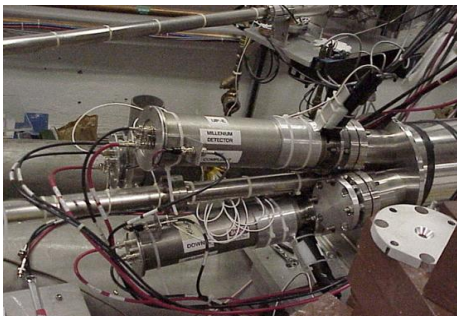


- Figure of Merit,  $\epsilon(\theta) = I(\theta)S(\theta)^2$ , is inversely related to  $\delta P$ .
- Designed to run on  $1\mu\text{m}$  Au at 5 MeV.
- Can measure polarization to  $\approx 1\%$  statistical uncertainty in 5 minutes.

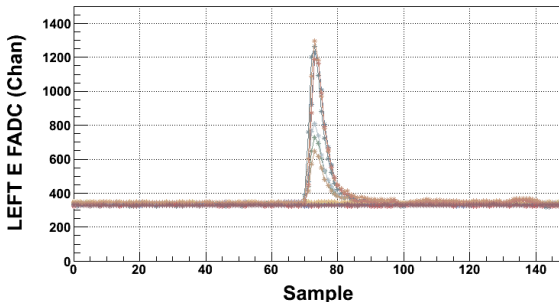
# Detectors



- $\approx 3\%$  Energy resolution.
- Coincidence trigger on  $E + \Delta E$  detectors (removes  $\gamma$ s)

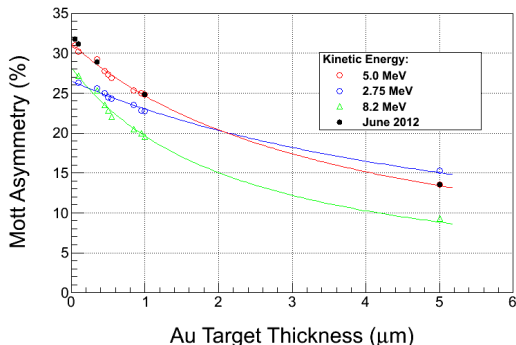


# Data Acquisition



- FADC channels for E and  $\Delta E$  detectors records event pulse height at sample rate of 250 MHz.
- No dead-time issues with  $< 5$  kHz means higher currents possible.
- Handles delayed helicity reporting.
- TDCs provide time-of-flight with 35 ps resolution.
- BCM cavity measures  $I_{beam} > 5$  nA.

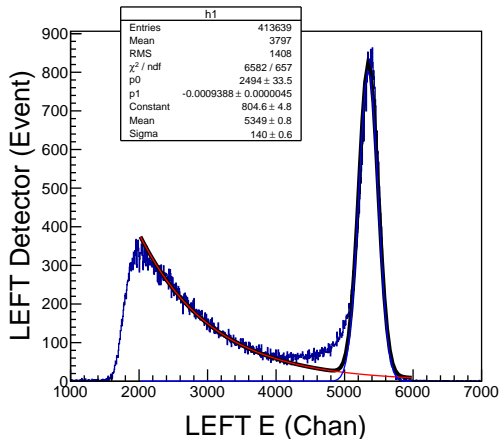
# Multiple Scattering and Effective Sherman Function



$$A(\theta, d) = PS_{eff}(\theta, d) \\ = \frac{PS(\theta)}{1 + \alpha(\theta)d}$$

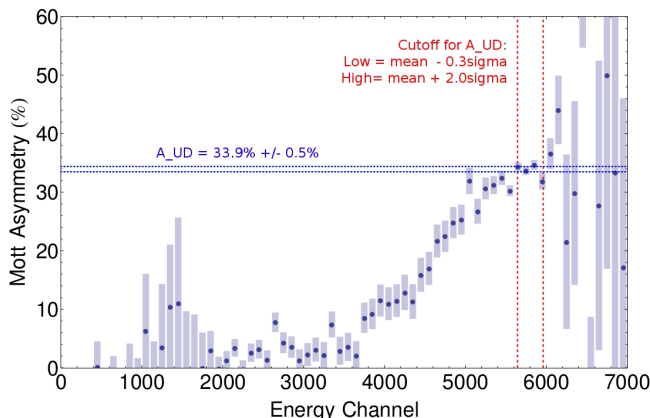
- Tests in 2000 reported a 1.1 % systematic error. Sherman function uncertainties are the largest single issue.
- Since then several changes have been made and the most recent results are slightly inconsistent.
- Two-fold path for improving measurements:
  - 1 GEANT4 modeling and theoretical inputs for better systematics.
  - 2 Reducing backgrounds through hardware updates.

# Detector Spectrum



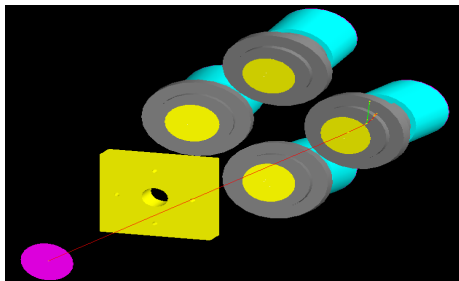
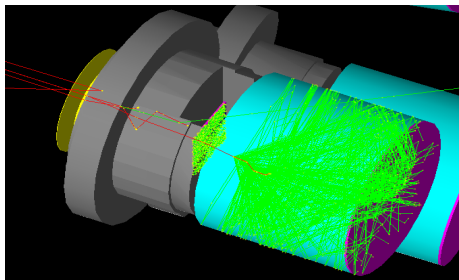
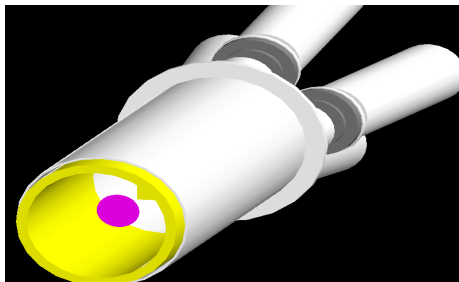
- Clear “tails” (low energy shoulders on elastic peak) of unknown cause in the spectrum.
- Propose to use GEANT4 simulation for two tasks:
  - 1 Determine the cause of the “tails” by accurately modelling detector geometry and response.
  - 2 Provide insight into  $A(d)$  and  $S(d)$  by determining effects of target thickness directly.

# Asymmetry Vs. Energy



- “Tail” carries almost full strength of the physics signal.
- Possible that these are good events losing energy after target and not being counted.

# GEANT4 Modelled Apparatus

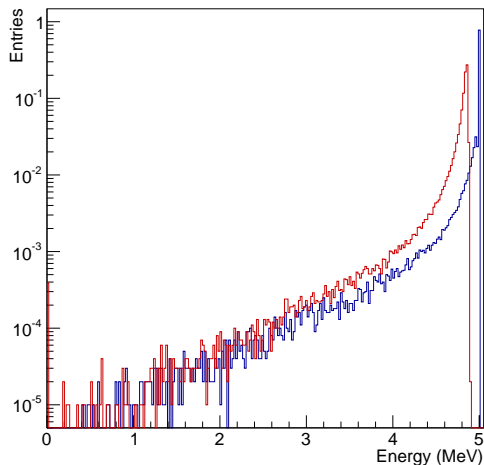


- Fires beam from the target to the detectors.
- Contains realistic handling of optical photons generated by scintillation and cerenkov processes.



# GEANT4 Simulated Spectra

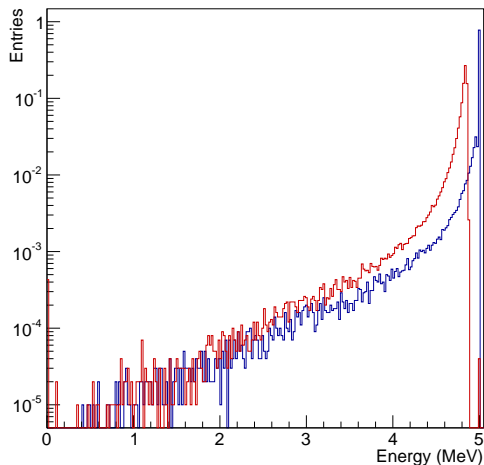
E Spectra



- **Blue:** “Vacuum” (i.e. beamline vacuum only between the primary vertex and the E detector). Monoenergetic beam of 5 MeV in all cases.
- **Red:** Added  $\Delta E$  detector.

# GEANT4 Simulated Spectra

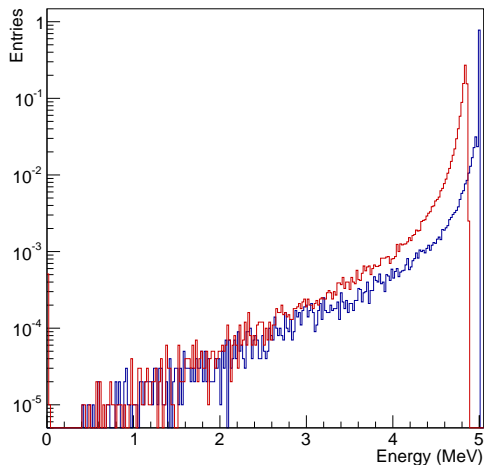
E Spectra



- Blue: Vacuum
- Red:  $\Delta E$  detector + Air.

# GEANT4 Simulated Spectra

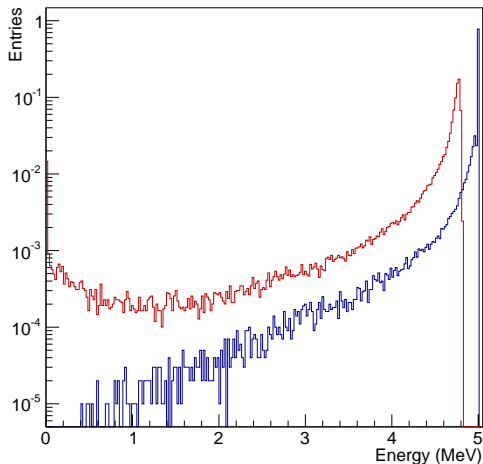
E Spectra



- Blue: Vacuum
- Red:  $\Delta E$  detector, Air + Al nose and Pb cap.

# GEANT4 Simulated Spectra

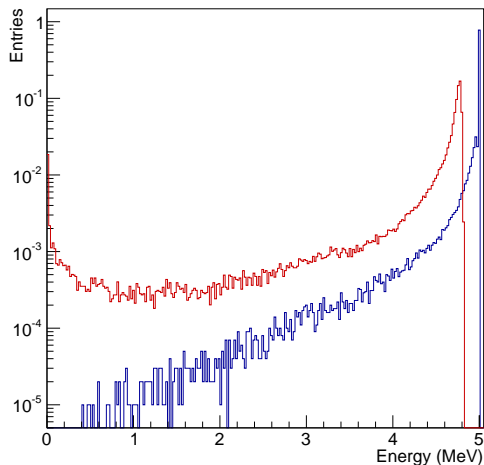
E Spectra



- Blue: Vacuum
- Red:  $\Delta E$  detector, Air, Al nose and Pb cap + 8 mil Al window

# GEANT4 Simulated Spectra

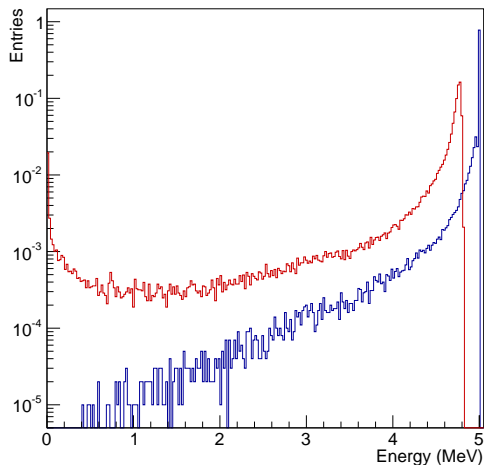
E Spectra



- Blue: Vacuum
- Red: All components in place. Illuminating entire acceptance.

# GEANT4 Simulated Spectra

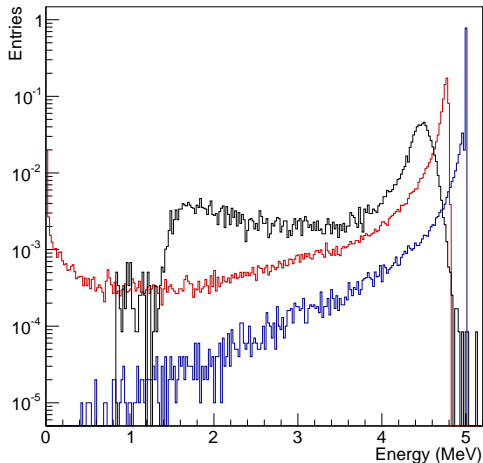
E Spectra



- Blue: Vacuum
- Red: All components in place. Illuminating entire acceptance. Passes through 5  $\mu\text{m}$  Au foil.

# GEANT4 Comparison

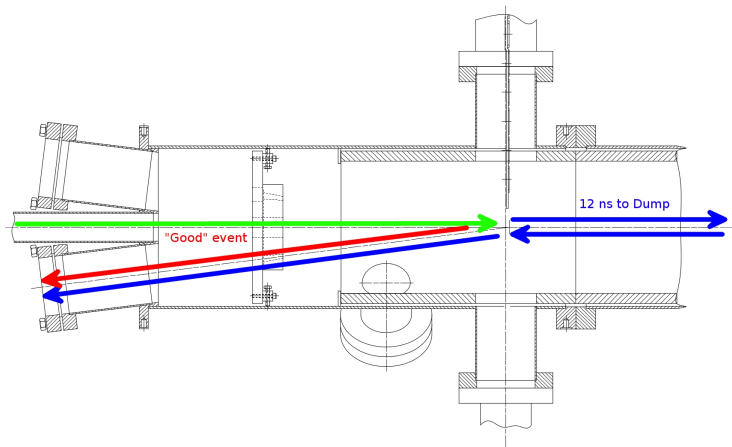
## E Spectra



- Blue: Vacuum
- Red: Passes through 5  $\mu\text{m}$  Au foil.
- Black: Actual 1  $\mu\text{m}$  Au data.
- Conclusions about “tails”:
  - 1  $\gamma$ 's in the detector are a part.
  - 2 Radiative losses in window and scraping on collimator contribute.
  - 3 More work is needed.

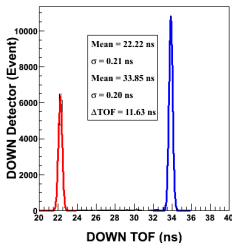
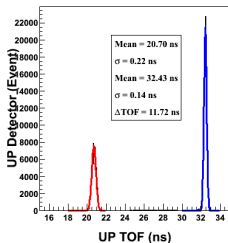
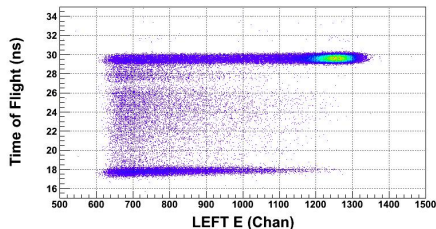
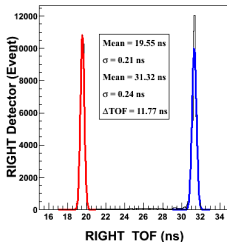
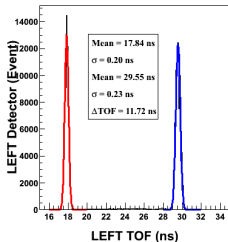
# Background Source Beam Dump

- 1.0" thick 8" diameter Al plate in small lead hut.
- Large amount (% varies with  $d$  and  $E$ ) of backscatter from dump makes it into the detectors.
- Can't separate out using TDC cuts in typical running conditions.



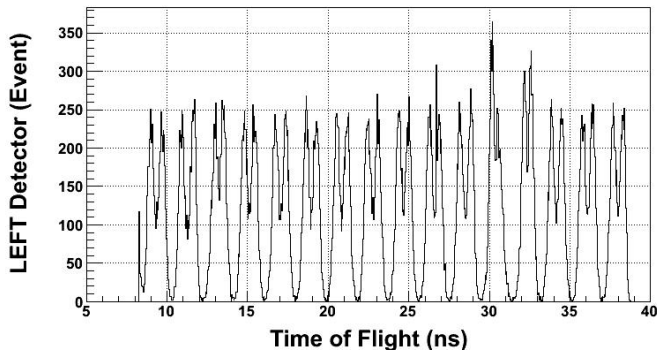


# ToF Selection



- Total rate from dump comparable to or greater than rate from target in thinner foils.
- Effects “tails” and lower elastic peak.
- Using new DAQ, can select for only in-time events with low rep rate.

# Normal Operation Issues



- Dump contributes as much as 8% of signal under elastic peak ( $2\sigma$ ) on  $1\mu\text{m Au}$ .
- When we run at high rep rate, can no longer remove background.
- **Proposed Solution:** switch to a low Z material in the beam dump.

# Backscatter Solution: BeCu Dump-Plate

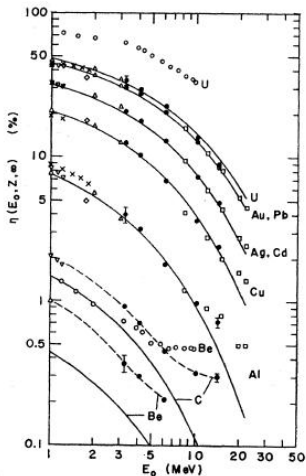
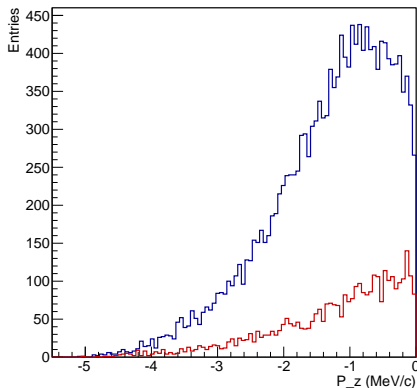


FIG. 8. Dependence of total backscattering coefficient  $\eta(E_0, Z, \infty)$  for semi-infinite targets upon incident energy  $E_0$ .

Tabata predicts a factor of  $\approx 10$  reduction.

Back-scattered Momentum

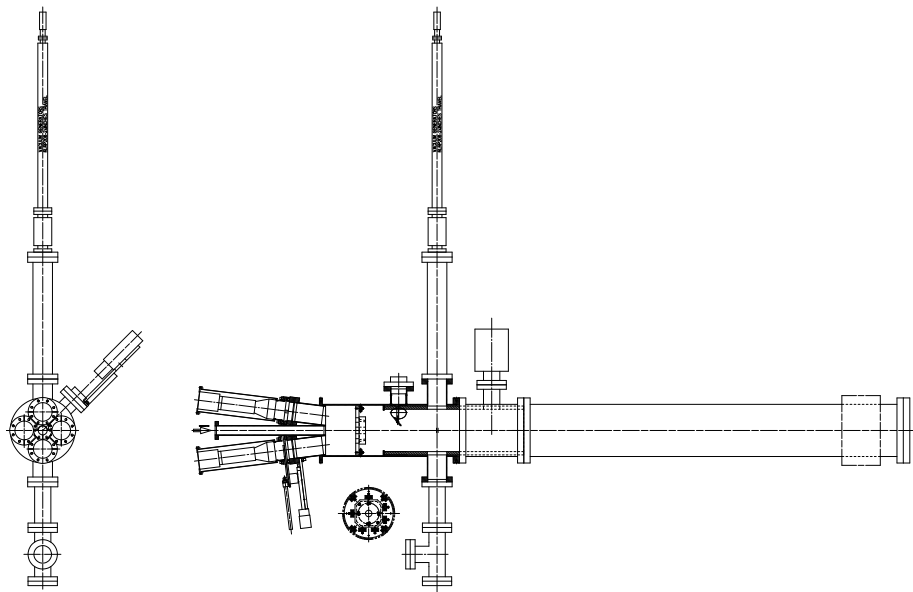


Using 0.25" Be backed by 0.75" Cu (red) we see a reduction by a factor of 4 over Al.

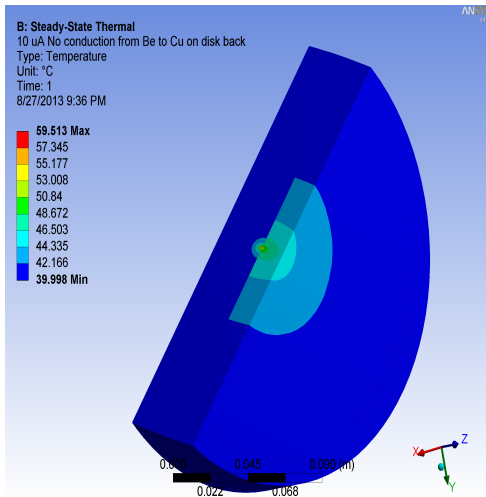
# Future Plans

- ① Use input from theorists to implement Mott physics with smallest uncertainties possible.
- ② Transition from modelling detector response to modelling whole polarimeter  $\rightarrow$  numerically predict  $A(d)$ .
- ③ Put new hardware (beam dump, target ladder ...) in place.
- ④ Ready to take beam whenever it comes back.

# The End



# Thermal model of Mott Dump



- $\frac{dE}{dx} = 1.6 \text{ MeV} \frac{\text{cm}^2}{\text{g}}$
- $I_{\text{beam}} = 10 \mu\text{A}$
- No contact of Be disk back to Cu disk front
- Contact on Be disk side only

# Electron-Nucleus Scattering

Electron moves in the nuclear Coulomb field,  $\mathbf{E} = \frac{Ze}{r^3}\mathbf{r}$ . Magnetic field induced in electron's frame,  $\mathbf{B} = -\frac{1}{c}\mathbf{v} \times \mathbf{E}$ . Therefore

$$\mathbf{B} = \frac{Ze}{cr^3}\mathbf{r} \times \mathbf{v} = \frac{Ze}{mcr^3}\mathbf{L}$$

Magnetic field couples to the electron's spin  $V_{so} = -\boldsymbol{\mu}_s \cdot \mathbf{B}$ . Scattering potential :

$$V(r, \mathbf{L}, \mathbf{S}) = V_C(r) + V_{so}(r, \mathbf{L}, \mathbf{S}) = \frac{Ze}{r} + \frac{Ze^2}{2m^2c^2r^3}\mathbf{L} \cdot \mathbf{S}.$$

## Detailed Sherman Function

The single scattering cross-section for a point like nucleus is

$$\sigma(\theta) = I(\theta) [1 + S(\theta) \mathbf{P} \cdot \mathbf{n}]$$

with  $\mathbf{n} = \frac{\mathbf{k} \times \mathbf{k}'}{|\mathbf{k} \times \mathbf{k}'|}$ . The spin-averaged cross section is

$$I(\theta) = \left(\frac{mc}{p}\right)^2 \left[ \left(\frac{Ze^2}{mc\beta}\right)^2 (1 - \beta^2) \frac{|f(\theta)|^2}{\sin^2(\theta/2)} + \frac{|g(\theta)|^2}{\cos^2(\theta/2)} \right]$$

and  $S(\theta)$  is the Sherman Function,

$$S(\theta) = \frac{2}{I(\theta)} \left(\frac{mc}{p}\right)^2 \left(\frac{Ze^2}{mc\beta}\right) \frac{\sqrt{1 - \beta^2}}{\sin(\theta/2)} [f(\theta)g^*(\theta) + f^*(\theta)g(\theta)]$$